## LIÈGE université

## Sciences Appliquées

## ELEC0029 - Electric power systems analysis

## Case study: analysis of unbalanced faults in a small distribution network Additional material

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## Slide 3 (footnote)

Simulation of a fault with a shunt conductance $g$ applied to the faulted bus and phase.


$V_{p r e}$ is the pre-fault voltage, i.e. the voltage without the fault $(g=0)$.
$\epsilon$ is a small tolerance, below which the voltage $V$ is considered negligible, i.e. close enough to zero.

The fault calculations can be done with the conductance $g_{\epsilon}$.

## Slides 7 and 8

Phase angle of voltage at bus B :

- by the power flow computation: $-1,9 \mathrm{deg}$
- by this computation: $-31,9$ deg

Phase shift due to transformer $\mathrm{A}-\mathrm{B}=30 \mathrm{deg}$

## Slide 9

Phase angle of voltage: $-31,9$ deg
Phase angle of current : - 62 deg Three-phase powers entering the cable :

$$
\begin{aligned}
& P=3 \times 21,3910^{3} \times 165,4 \times \cos (-31,9-(-62))=9,18 \mathrm{MW} . \text { OK } \\
& Q=3 \times 21,3910^{3} \times 165,4 \times \sin (-31,9-(-62))=5,32 \mathrm{Mvar} . \text { OK }
\end{aligned}
$$

The slide shows the magnitude of the algebraic sum of currents $=\left|\bar{I}_{a}+\bar{I}_{b}+\bar{I}_{c}\right|$

$$
\left|\bar{I}_{a}+\bar{I}_{b}+\bar{I}_{c}\right| \neq\left|\bar{I}_{a}\right|+\left|\bar{I}_{b}\right|+\left|\bar{I}_{c}\right| \quad!!!!!!
$$

## Slides 12 and 13



In the absence of grounding of the neutral, due to the fault, the phase-to-ground voltages of the (non faulted) phases $a$ and $b$ at bus $D$ become equal to the phase-to-phase voltages before the fault.

- the voltage between neutral and ground changes from 0 to $6 / \sqrt{3} \mathrm{kV}$
- voltages elsewhere in the network are not at all affected
- the fault is impossible to detect !
- the absence of grounding is dangerous !

Slides 12 and 13


## Slides 14 and 15



Slides 16 and 17


Slide 18


